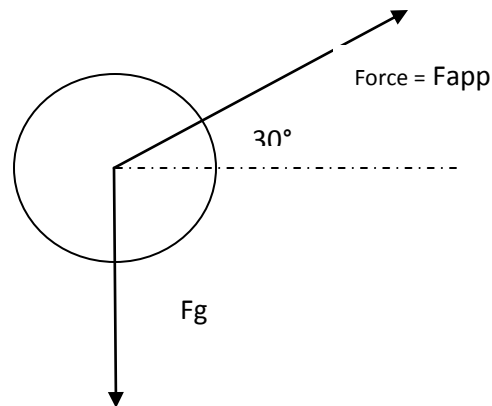


Forces in 2D - 2.4

You now know how to break vectors into 'x' and 'y' components. You also know how to analyze vectors with regards to these **components separately** ie: projectiles - analyze horizontal motion independently of vertical motion. **Hurrah!** You are ready to look at forces - just more of the same.

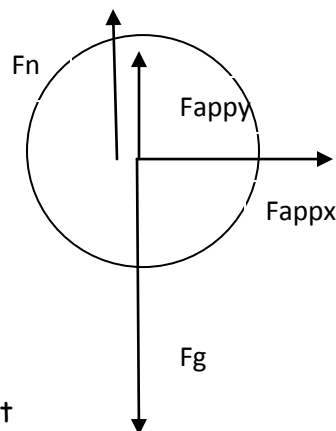
An adult is pulling a child on a sled with a force 'Fapp' at an angle 30° above the horizontal. The child and sled have a mass of 35 kg. What is the forward acceleration?



$$\text{So..} F_{\text{app}x} = (\cos 30) \times F_{\text{app}}$$

$$F_{\text{app}y} = (\sin 30) \times F_{\text{app}}$$

You will need to break the applied force into its 'x' and 'y' components. See above formulas.



Since I put in F_{appy} and $F_{\text{app}x}$, I did not need to put in F_{app} .

Notice that I also added in

F_n . **Tricky part:** The sled is not moving up or down so the vertical forces must be equal. So... $F_n + F_{\text{appy}} = F_g$. Notice F_n does not equal F_g !!

If I add friction to this system, you need to calculate it with the following familiar formula:

$$F_f = \mu F_n \quad \dots \text{you need to calculate } F_n \text{ using: } F_n + F_{\text{appy}} = F_g$$

So...

#1 $F_g = mg$

#2 $F_{\text{appy}} = \cos 30^\circ \cdot F_{\text{app}}$

#3 $F_n = F_g - F_{\text{appy}}$

#4 $F_f = \mu F_n$ That gives you Friction !!!

If I know friction and F_{appx} and the mass of the object, I can calculate the acceleration!