## Average Speed vs. Average Velocity

We've learned the difference between speed (scalar) and velocity (vector).

Speed:  $v = \Delta d / t$  whereas Velocity:  $v = \Delta d / t$ 

Try: A student walks 100 m [S] and then 400 m [W] in 4.5 min to get to school. What is her average speed and velocity? N

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G: draw this out. It is non-collinear.

R: speed and velocity for whole trip

A:  $v = \Delta d / t$  whereas Velocity:  $v = \Delta d / t$ 

S:  $\Delta d = 100m + 400 m = 500 m$  \*no direction required.

 $\Delta d$  = solve by Pythagorean (for magnitude) and trig for angle ( $\Theta$ )

 $\overrightarrow{\Delta d^2} = 100^2 + 400^2 \qquad \overrightarrow{\Delta d} = 412 \text{ m}$ 

Tan  $\Theta$  = 400 / 100  $\Theta$  = 76° direction is [S 76° W]

I want time in seconds. So  $4.5 \text{ min} = 4.5 \times 60 = 270 \text{ seconds}$ .

S: Average speed = 500/270 = 1.9 m/s

Average velocity = 412 / 270 = 1.5 m/s [S 76° W]

## **Homework Questions:**

- 1. Why is average velocity typically less than average speed?
- 2. Is average velocity ever equal to average speed? Explain using an example if able to.