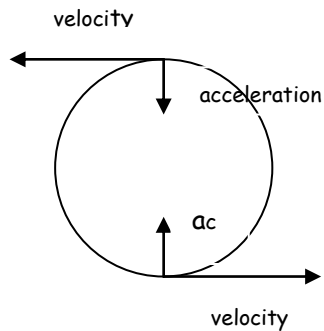


## Uniform Circular Motion - 2.7 & 2.8

**2.7: Centripetal acceleration:** A particle travelling in a circle at uniform speed is accelerating??? Yes! Yes, because velocity is a vector and the direction is changing!

Velocity at any given moment is tangential to the path.

Acceleration is constant in magnitude and always directed inward.



$a_c$  = centre-seeking accelerating or.....**centripetal acceleration**.

You will need some formulas from this section - copy the ones in 2.7 that are in the orange boxes! (You do not need to memorize the derivation of them...just be able to use them!).

### 2.8: Centripetal Force

Well, if there's centripetal (centre-seeking) acceleration, then there must be centripetal (centre-seeking) force. Newton says objects have inertia - they keep doing what they're doing UNLESS acted upon by an outside net force. So...an object will continue in a straight line (not a circle) unless it is acted upon by a net centre-seeking force.

This centripetal force ( $F_c$ ) can be provided by one of the following:

1. Tension -  $T$  - (through a string or cable)
2. Normal Force -  $F_n$  - exerted perpendicular to a surface upon an object.
3. Gravity -  $F_g$  - exerted usually by earth upon all objects. This is needed when the objects swings in a vertical circle.

There are several formulas you will need to work with  $F_c$  - copy them down from 2.8 in your text. They are in orange boxes.

**The role of gravity** - if an object is moving in a horizontal circle (like I was doing in class - swinging a stopper on a string around my head), then we need not consider gravity. Tension (T) or normal force ( $F_n$ ) will provide the centripetal force required to keep the object moving in a circle.

You WILL need to consider gravity if the object is swinging in a vertical circle ie: if I swing a pail of water over my head. In this case, the required  $F_c$  is the sum of tension AND  $F_g$ .

$F_c$  = sum of all forces and must be centre-seeking

$F_c = F_g + T$  \*\*watch signs - set up or down as +ve

Think about this: at the top of the circle  $F_g$  is helping  $F_c$  ( $F_g$  is pulling towards the centre of the circle) while at the bottom of the circle  $F_g$  is hindering  $F_c$  ( $F_g$  is pulling away from the centre of the circle).  $F_g$  always pulls down towards earth.

Refer to a photocopied note I handed out in class for more detail.