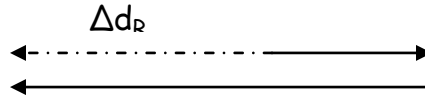


Vector Addition - Part 2

1) **Collinear Vectors** - are vectors that are in a straight line. (1D)

ie: I walk 5 m [E] and then 20 m [W].



Draw: tail-to-tip The resultant vector starts at the start and ends at the end.

Draw: the resultant arrow as a dashed arrow.

Mathematically: Set [E] as +ve. So all directions are east. (west is a negative)

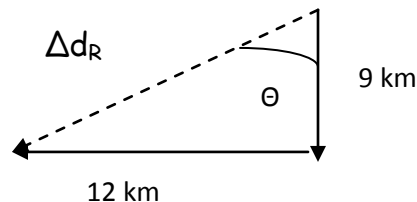
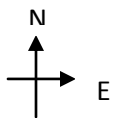
$$\text{So... } (+5) + (-20) = -15 \text{ m [E]}$$

2) **Non-collinear** - are vectors that are not in a straight line (2D)

Easy non-collinear

ie: what is my final position if I travel 9 km [S] and then turn and travel 12 km [W]?

Draw: Tail-to-tip. Include resultant.



Mathematically: cannot add with integers. Must add with geometry/trig.

Length of Δd_R : Use Pythagorean $a^2 + b^2 = c^2$

Angle (Θ): Use trig ratios. $\tan \Theta = 12/9$ $\Theta = 53^\circ$

When the math is done, $\Delta d_R = 13 \text{ km [S } 53^\circ \text{ W]}$

What if I have more than 2 vectors?

ie: my dog loves to run after squirrels. If he runs 5 m [W], then 2 m [S], then 15 m [N] and 2 m [W], what is his displacement from his starting point?

Draw it first to see a general answer. Try this in the space below.

Mathematically: Set North and East as +ve

Add the N/S vectors ('y' vectors) together for a total

$$\text{ie: } (-2) + (+15) = +13 \text{ m [N]}$$

Add the E/W vectors ('x' vectors) together for a total

$$\text{ie: } (-5) + (-2) = -7 \text{ m [E]}$$

Put these 2 vectors together to form a triangle. Now you have the situation above - solve with Pythagorean and trig.

